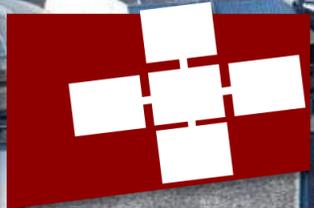
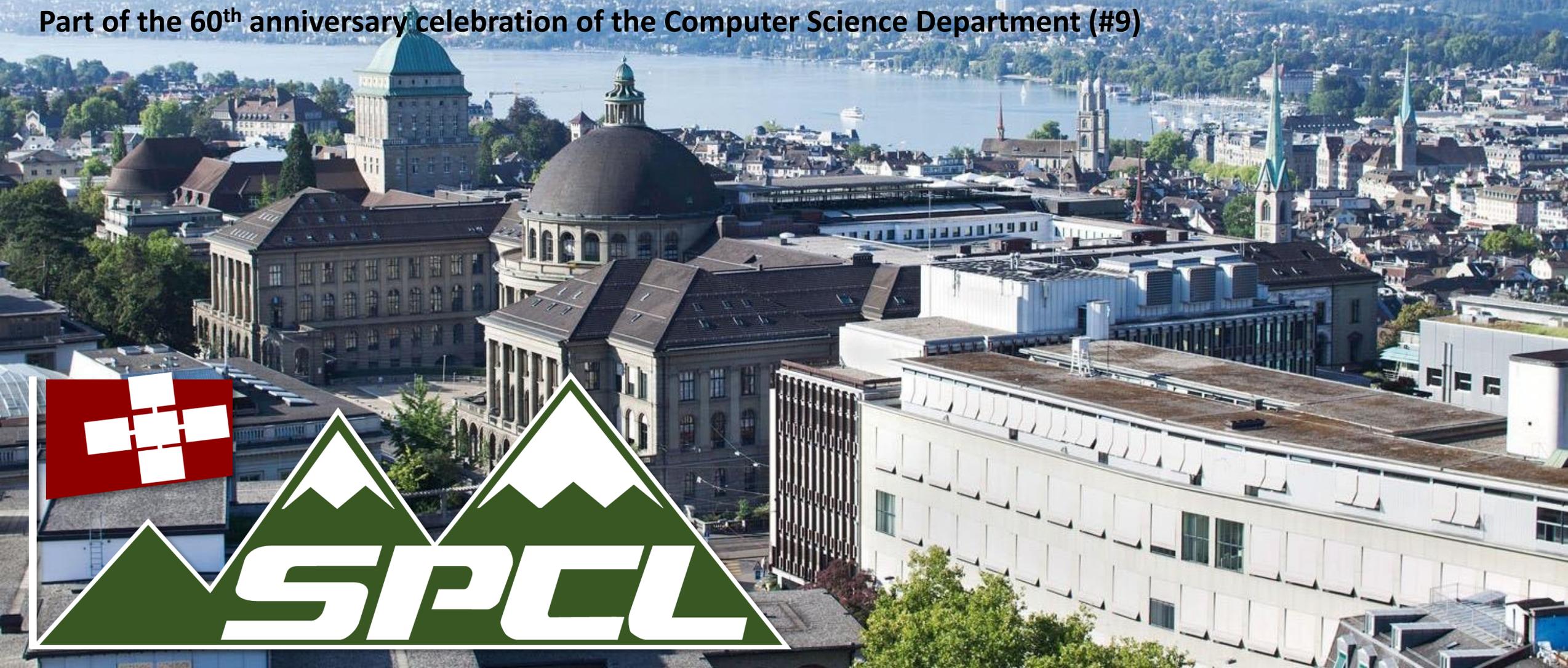


TORSTEN HOEFLER

Performance Modeling for Future Computing Technologies

Presentation at Tsinghua University, Beijing, China

Part of the 60th anniversary celebration of the Computer Science Department (#9)



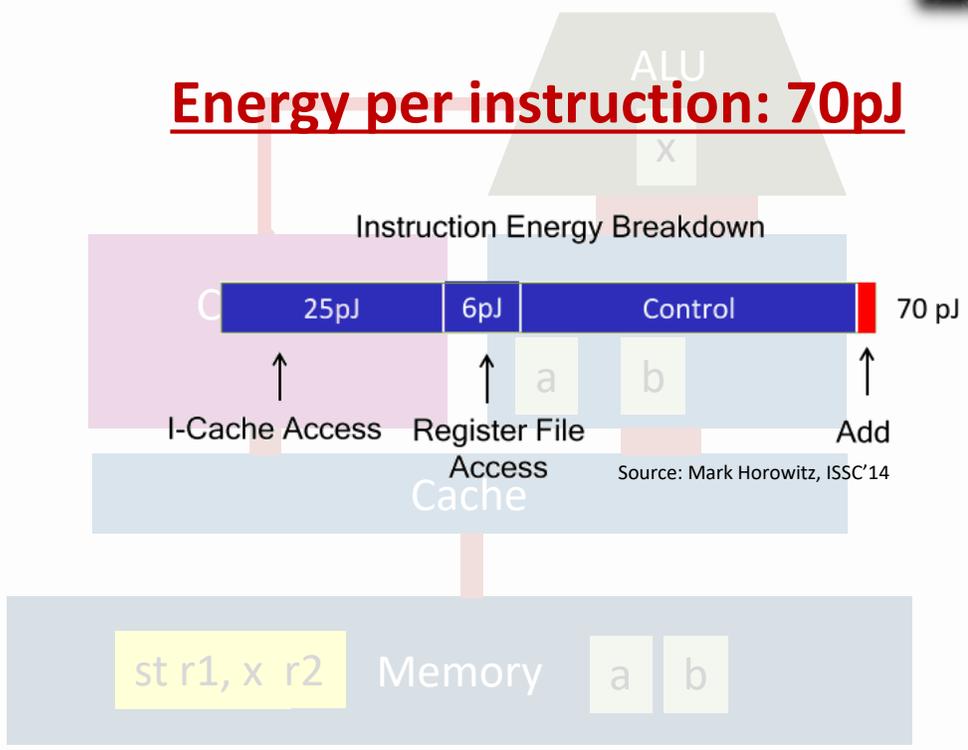
Control Locality? Load-store vs. Dataflow

Turing Award 1977 (Backus): "Surely there must be a less primitive way of making big changes in the store than pushing vast numbers of words back and forth through the von Neumann bottleneck."

Load-store ("von Neumann")



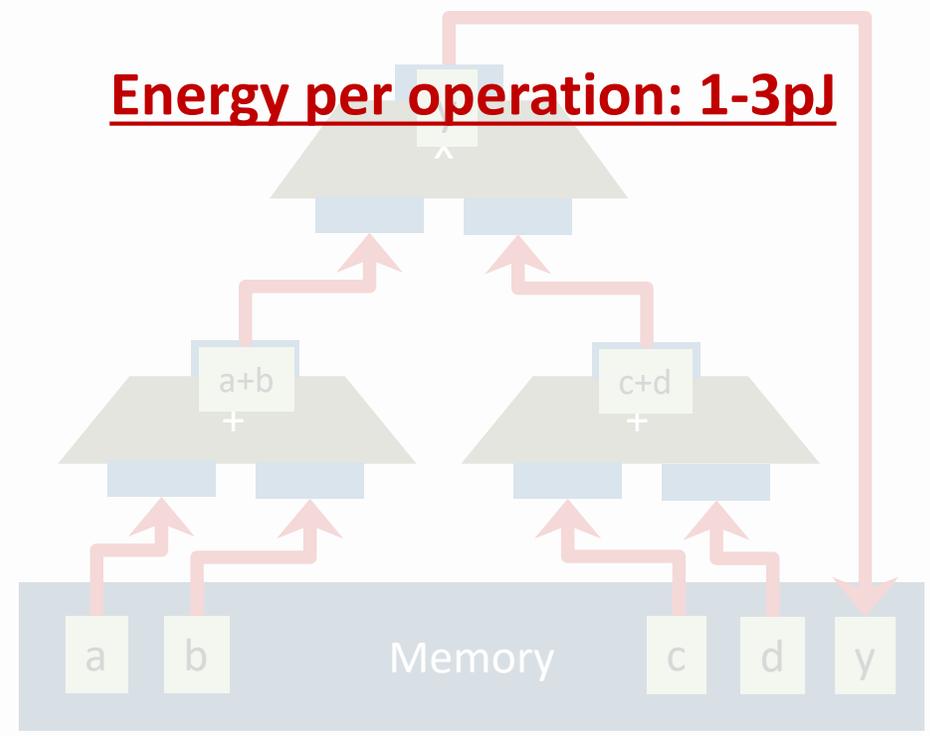
$$x = a + b$$



Static Dataflow ("non von Neumann")

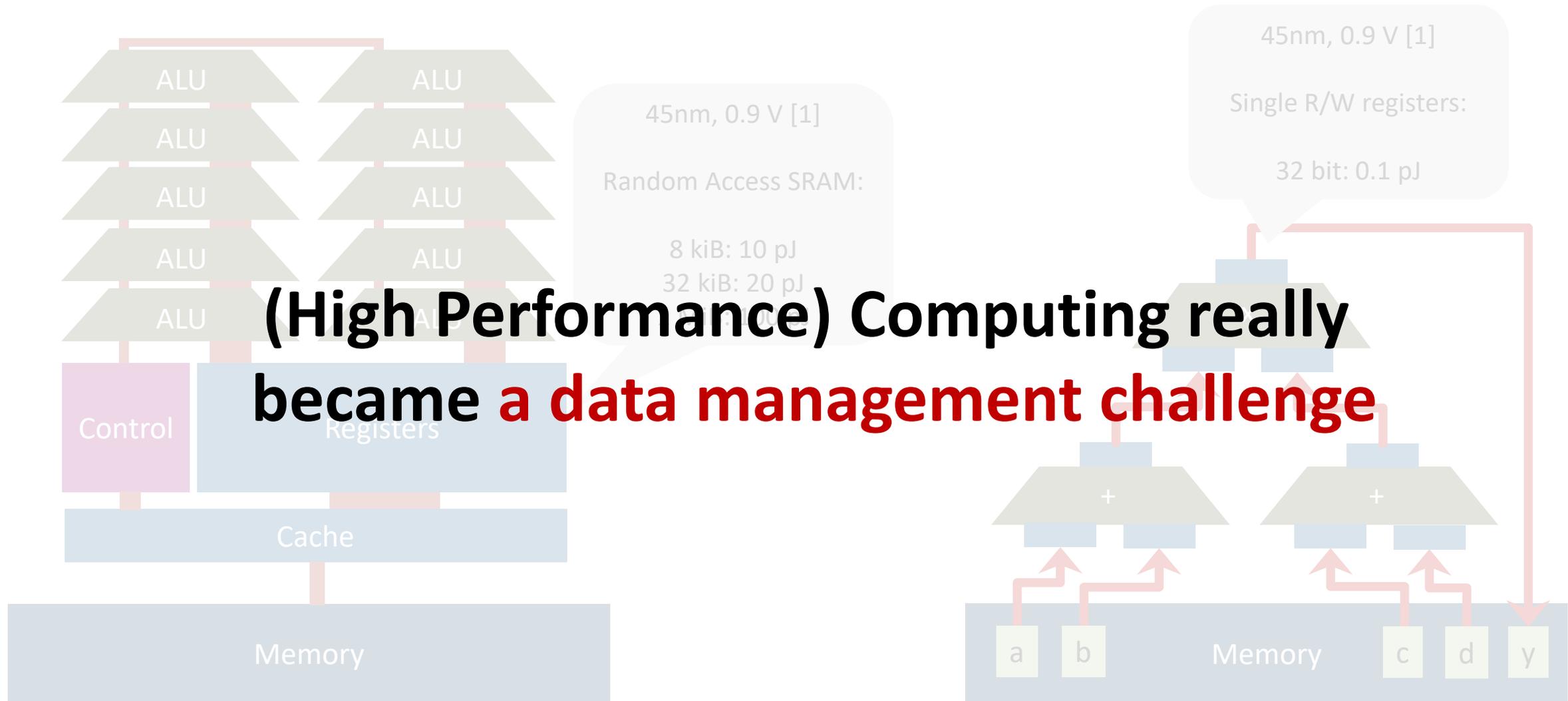


$$y = (a + b) * (c + d)$$



Control Locality

Single Instruction Multiple Data/Threads (SIMD - Vector CPU, SIMT - GPU)



[1]: Marc Horowitz, Computing's Energy Problem (and what we can do about it), ISSC 2014, plenary

Crystal Ball into the Post-Moore Future (maybe already today?)

Neuromorphic

Quantum

Efficient CMOS

**Future architectures will force us to manage
accelerated heterogeneity**

- Asynchronous CMOS circuits
 - 1000x energy benefit
- Integrates compute (neurons) and memory (synapses)
- Very specialized
 - Accelerator
 - Custom architectures
 - Reconfigurable datapaths
 - Dataflow + Control Flow
- Even learning is hard
 - Comparatively little work
 - Suddenly much lower energy benefits

- Completely different paradigm
 - Concept of qubits
 - Bases on quantum mechanics
 - Many different ideas how to build
 - Optical
 - Spin-based
 - Superconducting
 - Majorana qubits
 - Needs new algorithms to be useful

- FPGAs or CGRAs or GPUs
 - Have been around for a while
- Use transistors more efficiently
 - Accelerator
 - Custom architectures
 - Reconfigurable datapaths
 - Dataflow + Control Flow
- Main challenge
 - Programmability!

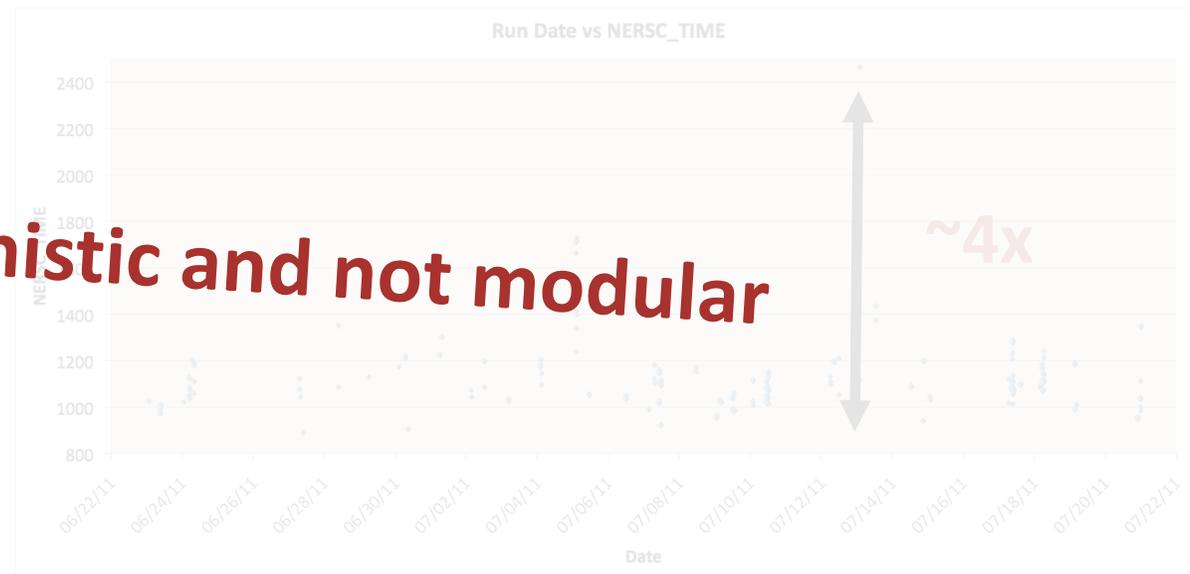
Rest of this talk: how do we understand which parts of programs to accelerate on which device?

Obvious answer: the slow ones!

So simply observe their performance? Not so fast.

What can we learn from High Performance Computing

```
dgemm("N", "N", 50, 50, 50, 1.0, A, 50, B, 50, 1.0, C, 50);
```



Performance is nondeterministic and not modular

1

$\sim 10^3$

$\sim 10^4$

$\sim 10^6$

$\sim 10^8$

$\sim 10^{10}$

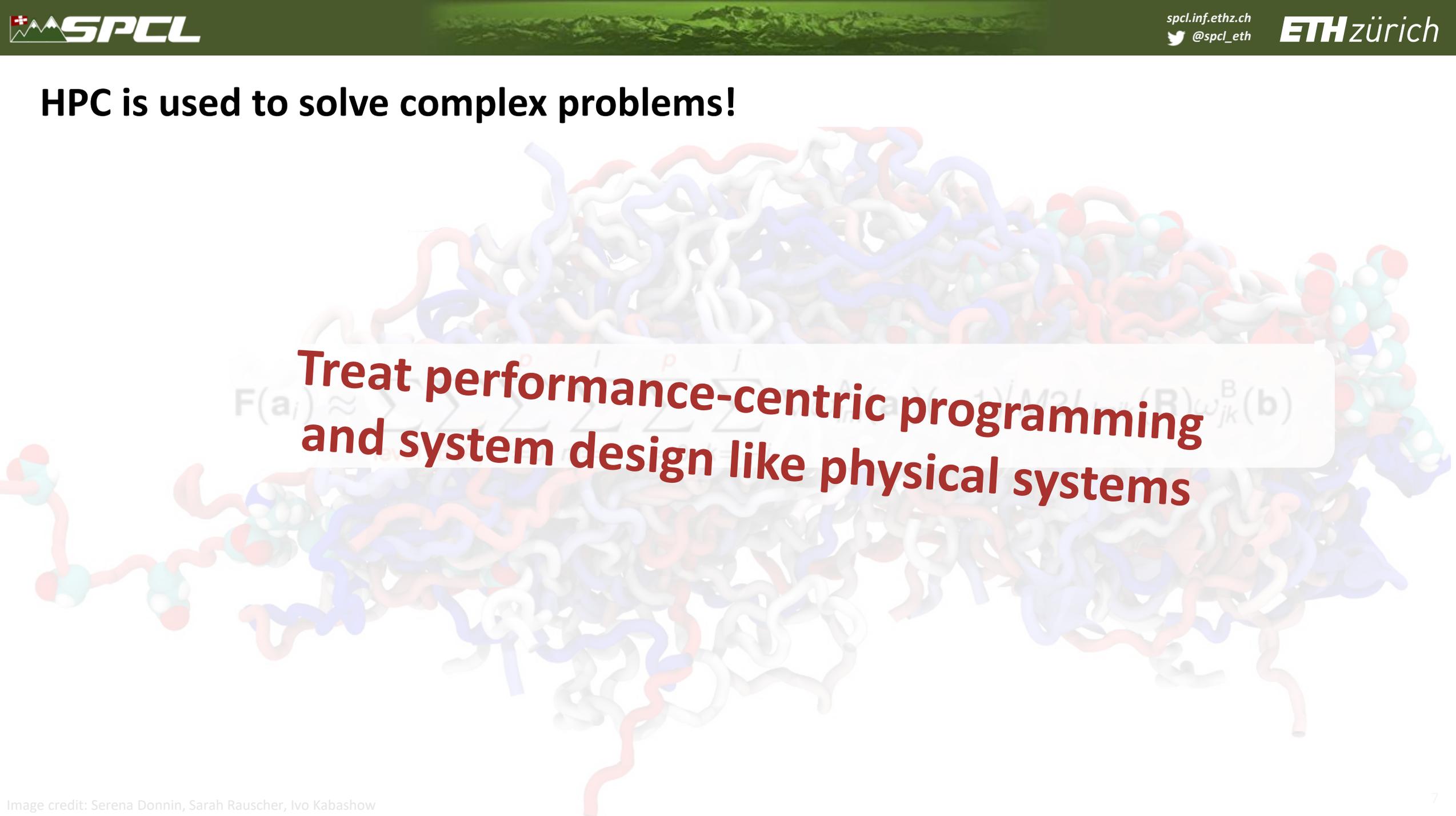
$\sim 10^{11}$

Performance of complex systems is tricky

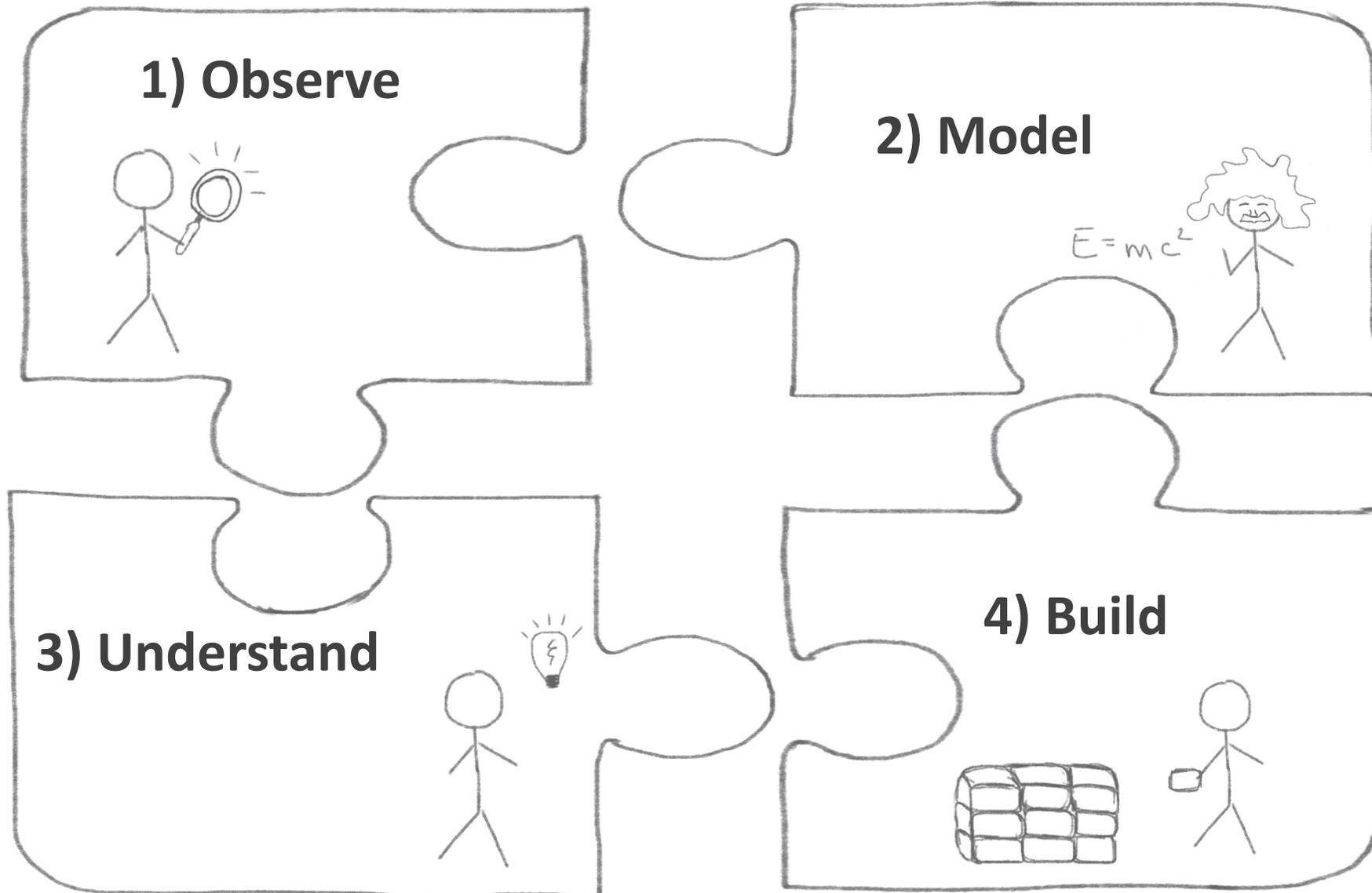


HPC is used to solve complex problems!

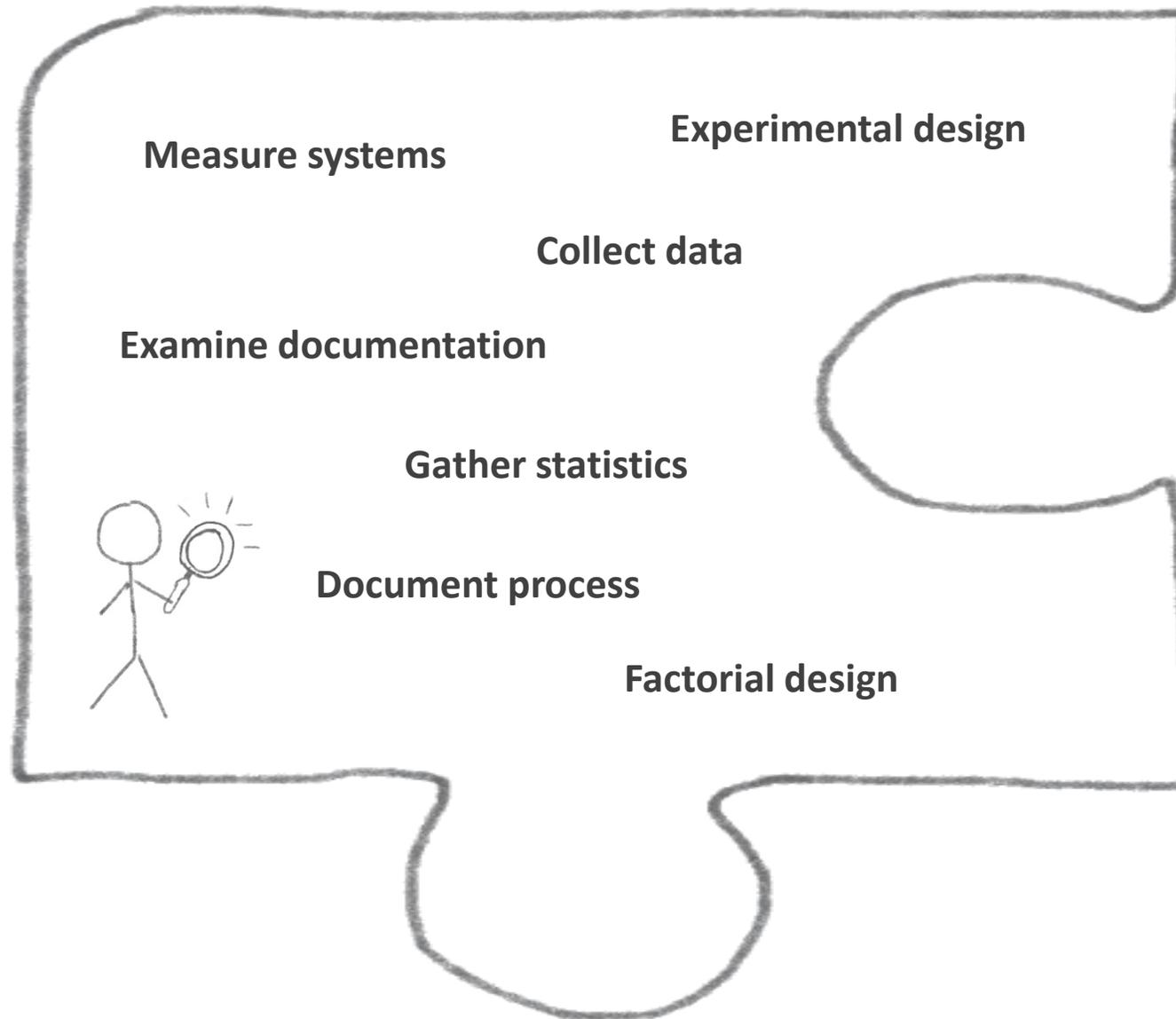
**Treat performance-centric programming
and system design like physical systems**



Scientific **Performance** Engineering



Part I: Observe

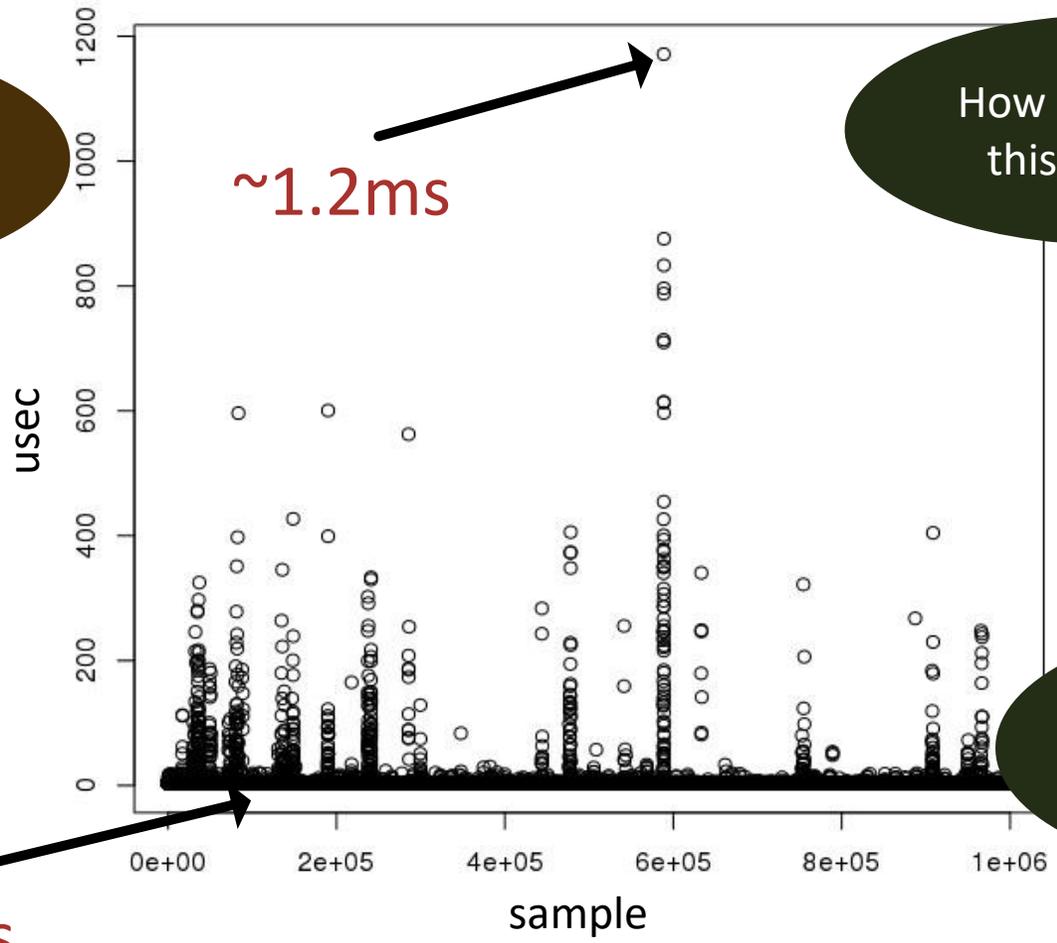


Trivial Example: Simple ping-pong latency benchmark



The latency of Piz Daint is 1.77us!

I averaged 10^6 experiments, it must be right!



How did you get this number?



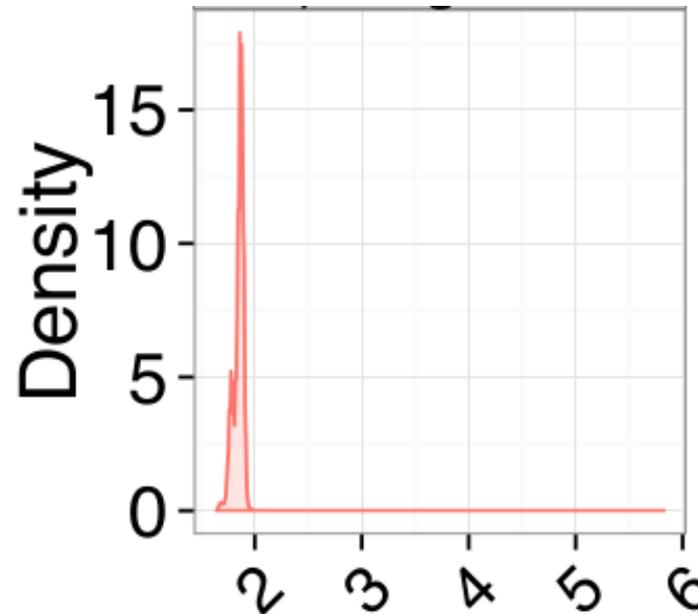
Why do you think so? Can I see the data?

Dealing with variation

The 99.9% confidence interval is 1.765us to 1.775us



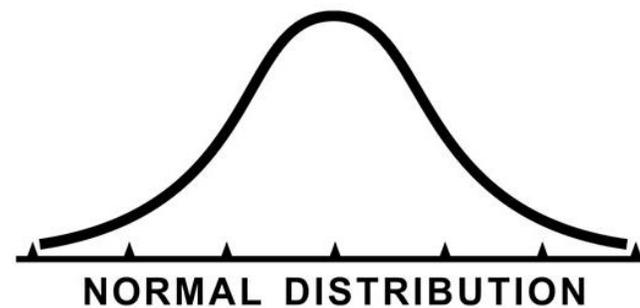
Ugs, the data is not normal at all. The nonparametric 99.9% CI is much wider: 1.6us to 1.9us!



Did you assume normality?

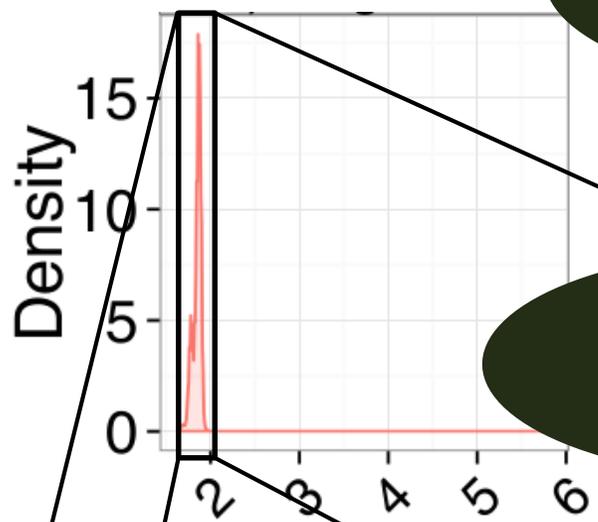


Can we test for normality?



Looking at the data in detail

This CI makes me nervous. Let's zoom!



Clearly, the mean/median are not sufficient!

Try quantile regression!

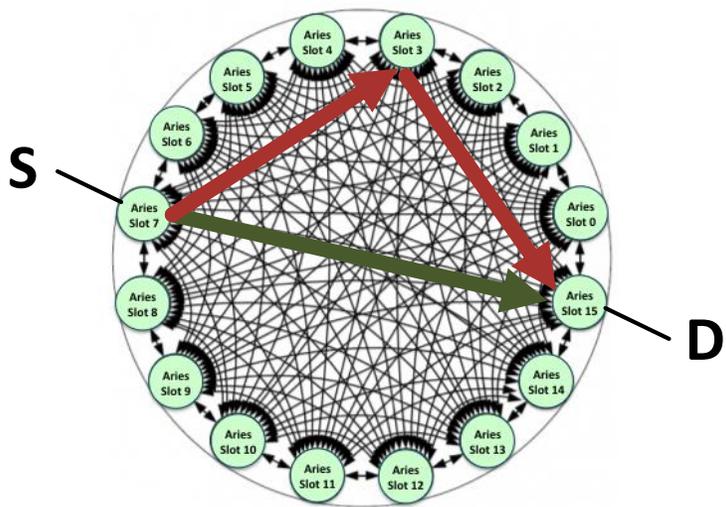
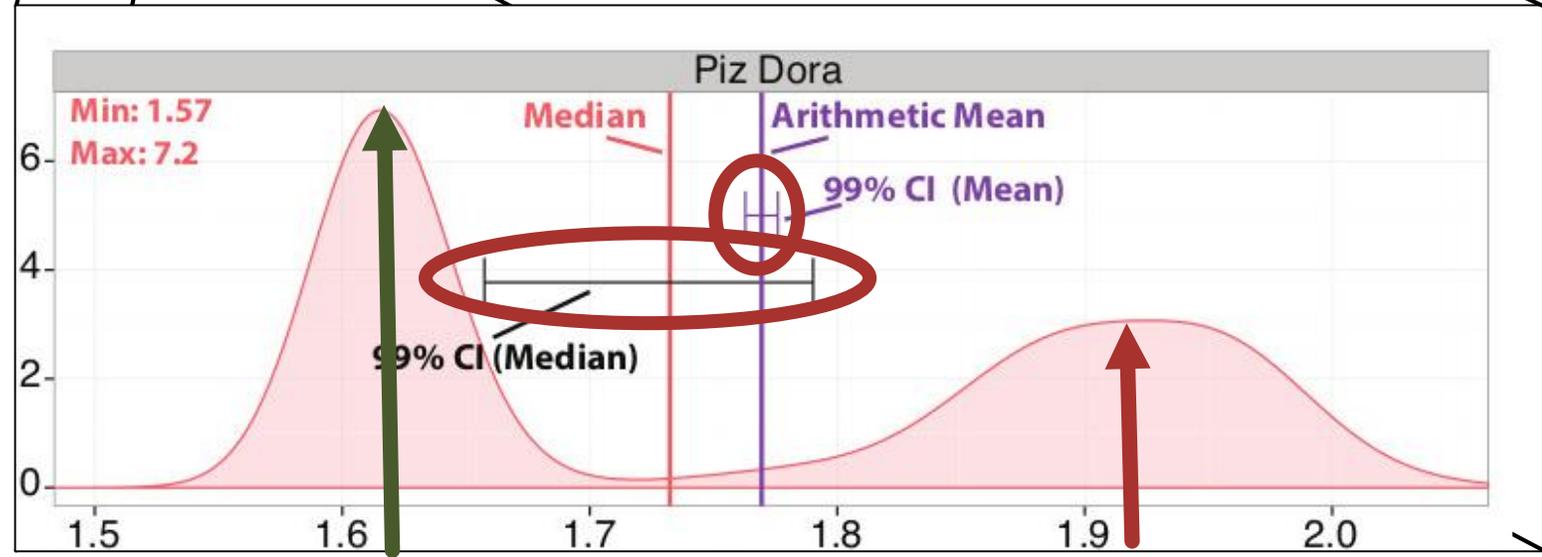


Image credit: nersc.gov



Scientific benchmarking of parallel computing systems



ACM/IEEE Supercomputing 2015 (SC15) + talk online on youtube!

Scientific Benchmarking of Parallel Computing Systems

Twelve ways to tell the masses when reporting performance results

Torsten Hoefler
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ABSTRACT

Measuring and reporting performance of parallel computers constitutes the basis for scientific advancement of high-performance computing (HPC). Most scientific reports show performance improvements of new techniques and are thus obliged to ensure reproducibility or at least interpretability. Our investigation of a stratified sample of 120 papers across three top conferences in the field shows that the state of the practice is lacking. For example, it is often unclear if reported improvements are deterministic or observed by chance. In addition to distilling best practices from existing work, we propose statistically sound analysis and reporting techniques and simple guidelines for experimental design in parallel computing and codify them in a portable benchmarking library. We

Reproducing experiments is one of the main principles of the scientific method. It is well known that the performance of a computer program depends on the application, the input, the compiler, the runtime environment, the machine, and the measurement methodology [20, 43]. If a single one of these aspects of *experimental design* is not appropriately motivated and described, presented results can hardly be reproduced and may even be misleading or incorrect.

The complexity and uniqueness of many supercomputers makes reproducibility a hard task. For example, it is practically impossible to recreate most hero-runs that utilize the world's largest machines because these machines are often unique and their software configurations changes regularly. We introduce the notion of *interpretability*, which is weaker than reproducibility. We call an ex-

pret the
es if they

Simplifying Measuring and Reporting: LibSciBench



```

#include <mpi.h>
#include <liblsb.h>
#include <stdlib.h>

#define N 1024
#define RUNS 10

int main(int argc, char *argv[]){
    int i, j, rank, buffer[N];

    MPI_Init(&argc, &argv);
    LSB_Init("test_bcast", 0);

    MPI_Comm_rank(MPI_COMM_WORLD, &rank);

    /* Output the info (i.e., rank, runs) in the results file */
    LSB_Set_Rparam_int("rank", rank);
    LSB_Set_Rparam_int("runs", RUNS);

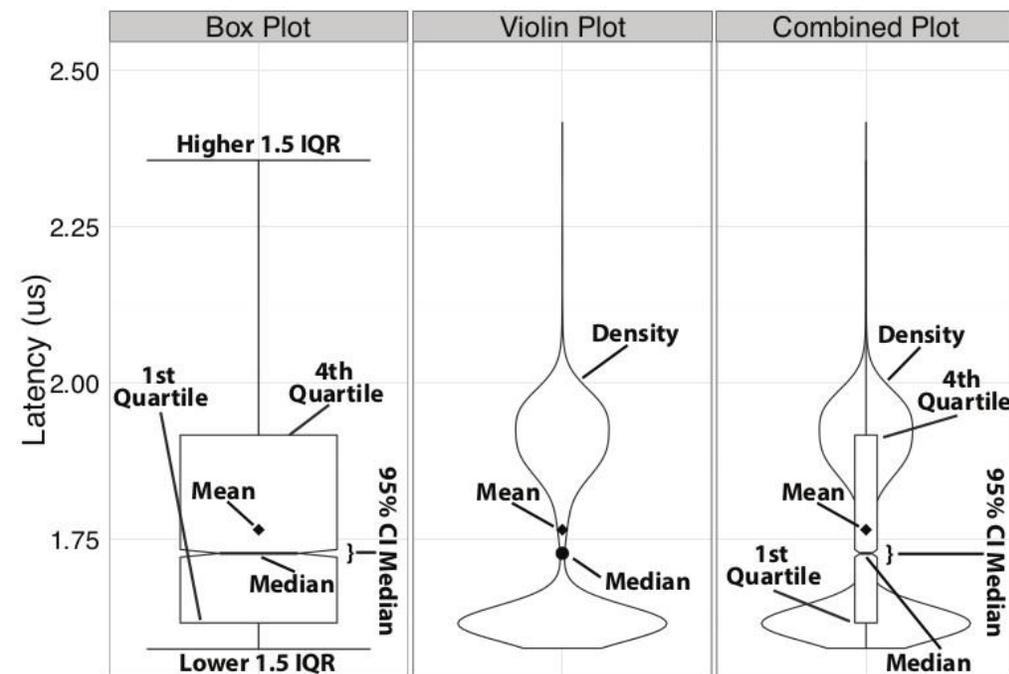
    for (sz=1; sz<=N; sz*=2){
        for (j=0; j<RUNS; j++){
            /* Reset the counters */
            LSB_Res();

            /* Perform the operation */
            MPI_Bcast(buffer, sz, MPI_INT, 0, MPI_COMM_WORLD);

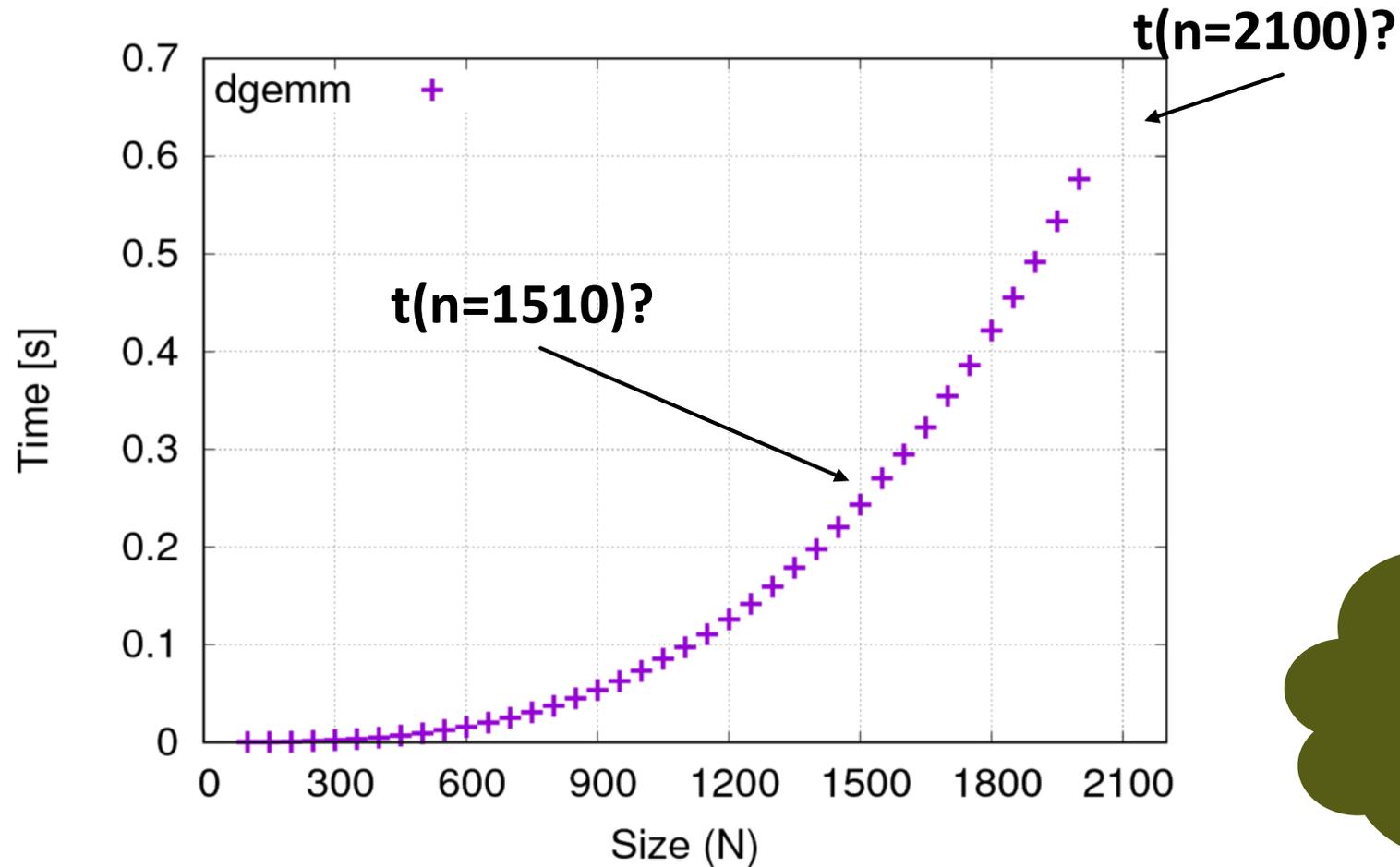
            /* Register the j-th measurement of size sz */
            LSB_Rec(sz);
        }
    }

    LSB_Finalize();
    MPI_Finalize();
    return 0;
}
    
```

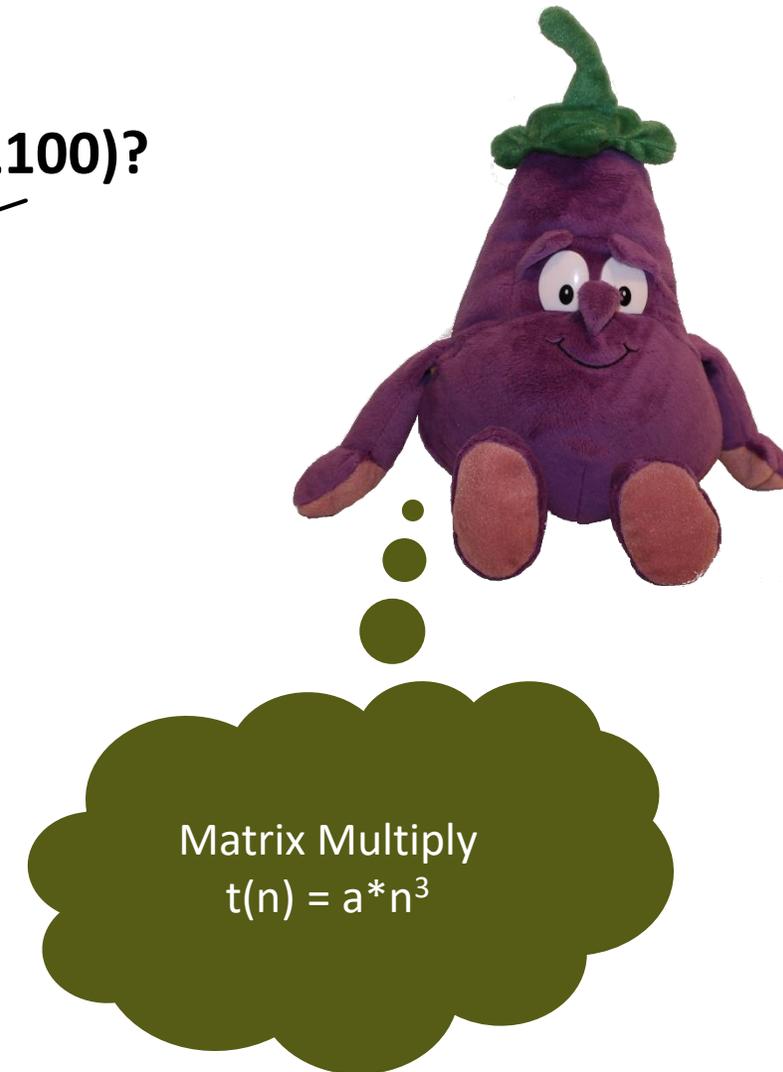
- Simple MPI-like C/C+ interface
- High-resolution timers
- Flexible data collection
- Controlled by environment variables
- Tested up to 512k ranks
- Parallel timer synchronization
- R scripts for data analysis and visualization



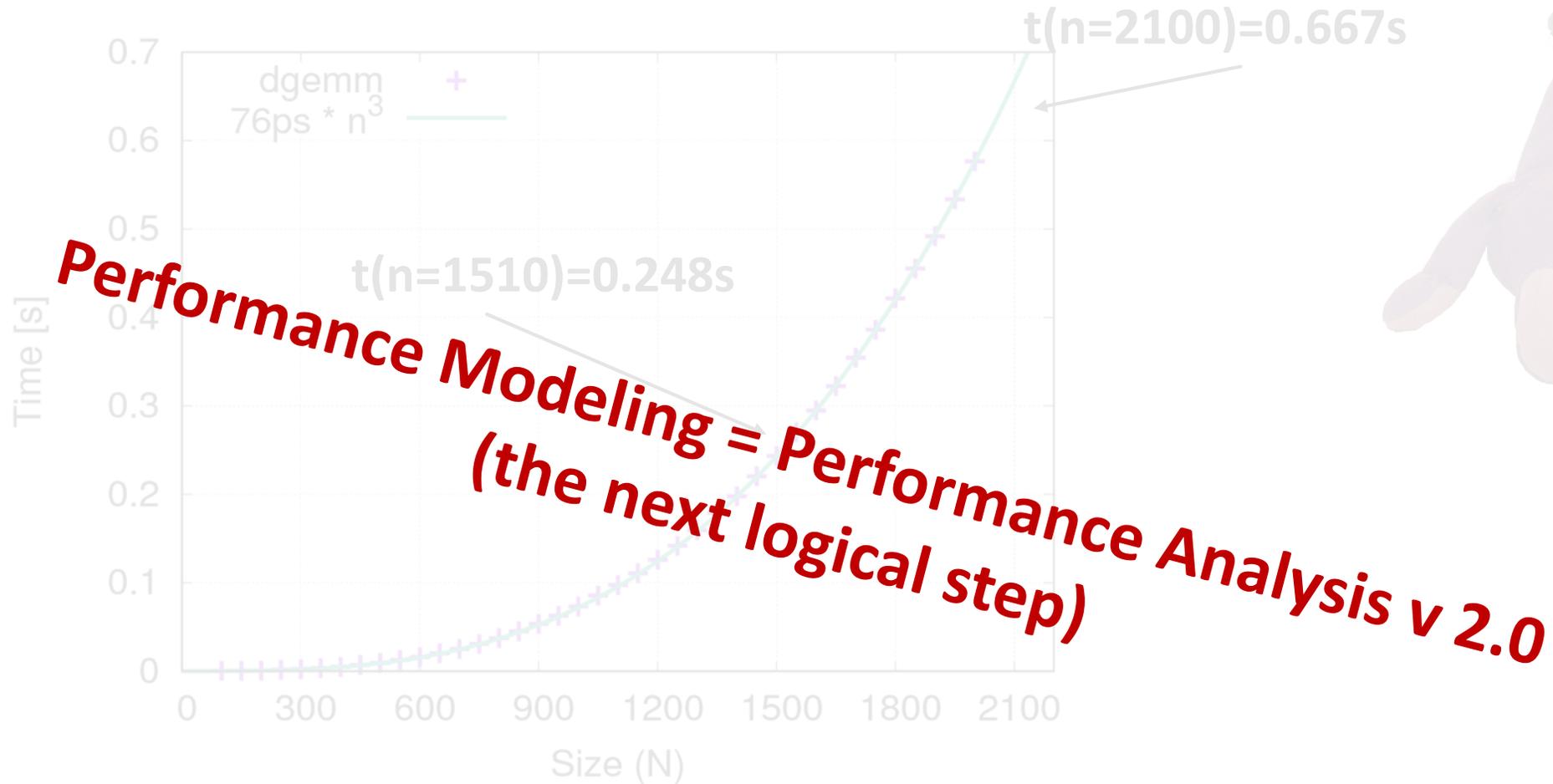
We have the (statistically sound) data, now what?



The 99% confidence interval is within 1% of the reported median.

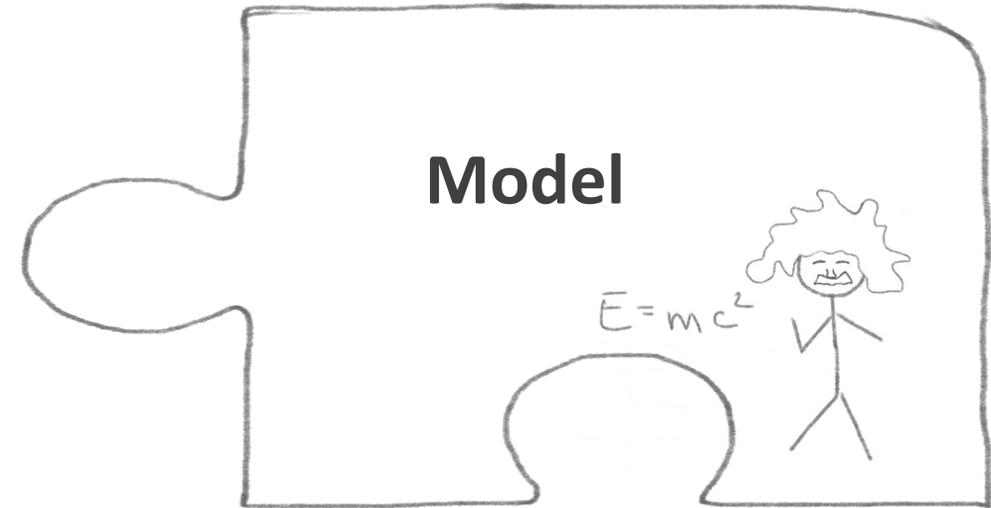
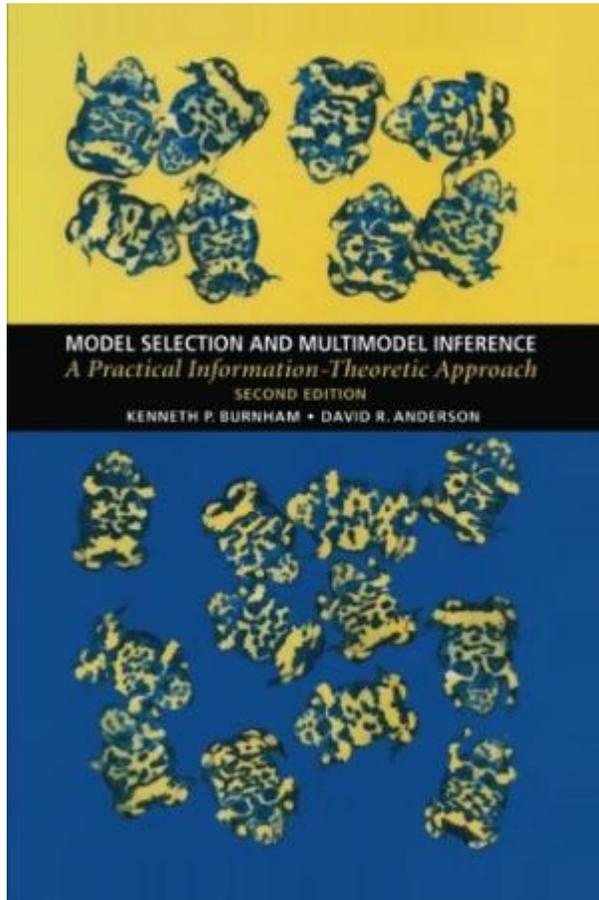


We have the (statistically sound) data, now what?



The 99% confidence interval is within 1% of the reported median.
The adjusted R² of the model fit is 0.99

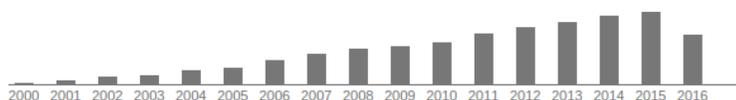
Part II: Model



Burnham, Anderson: *“A model is a simplification or approximation of reality and hence will not reflect all of reality. ... Box noted that “all models are wrong, but some are useful.” While a model can never be “truth,” a model might be ranked from very useful, to useful, to somewhat useful to, finally, essentially useless.”*

This is generally true for all kinds of modeling.
We focus on **performance modeling** in the following!

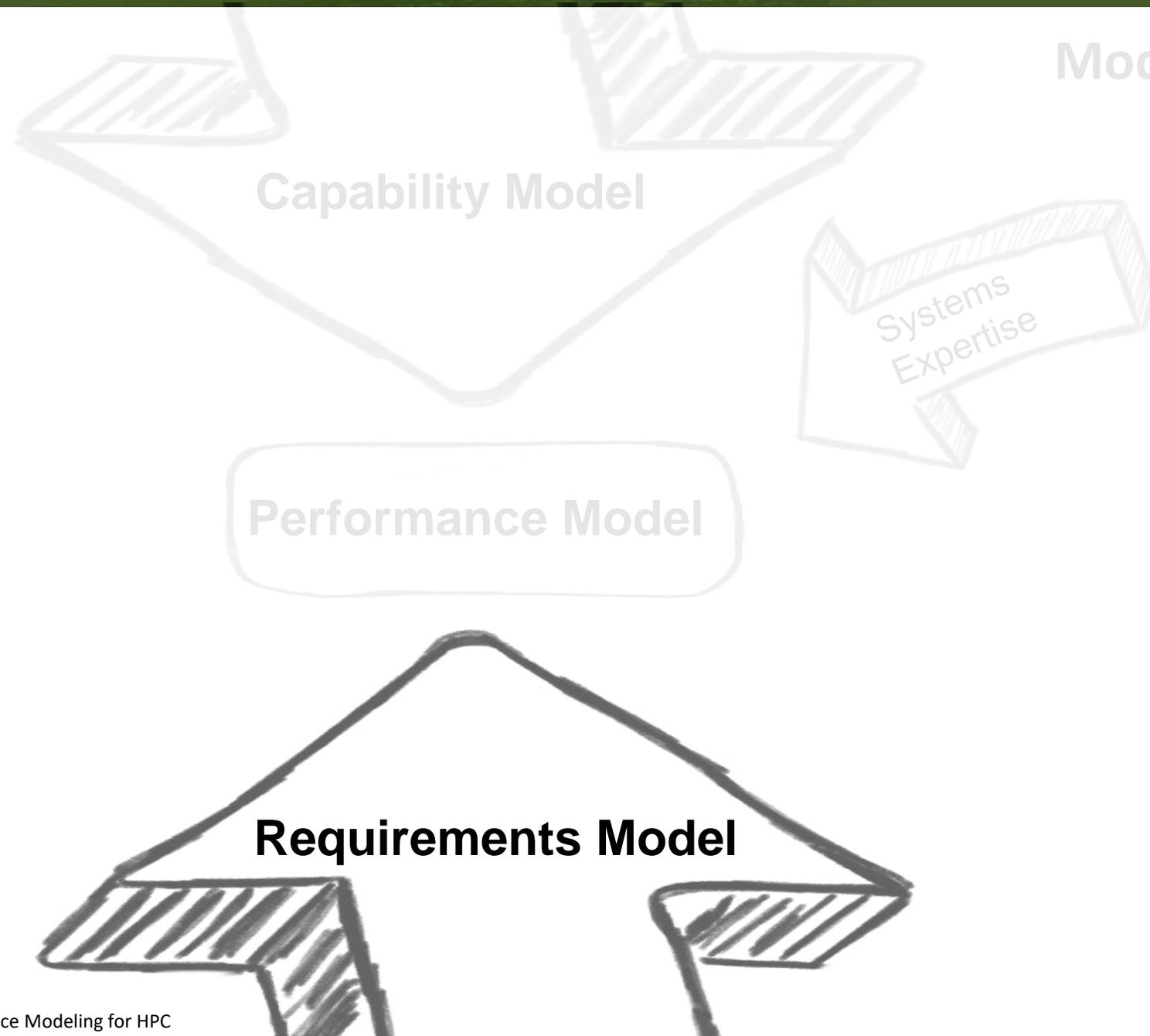
Cited by 33599



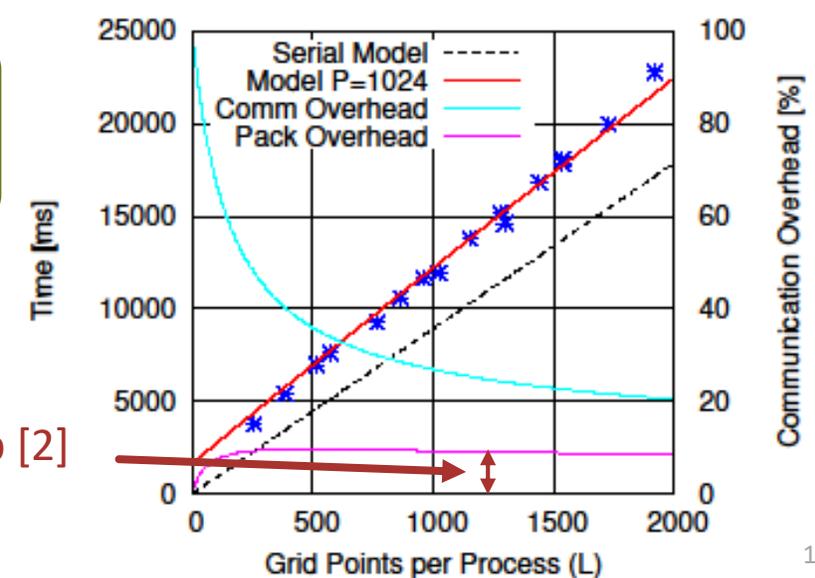
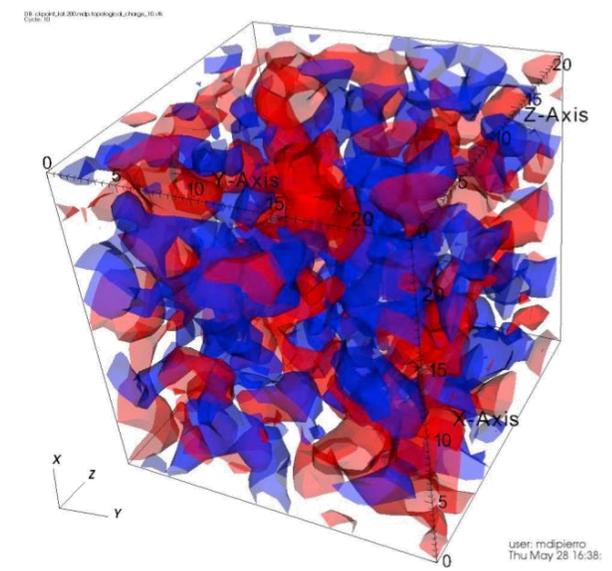
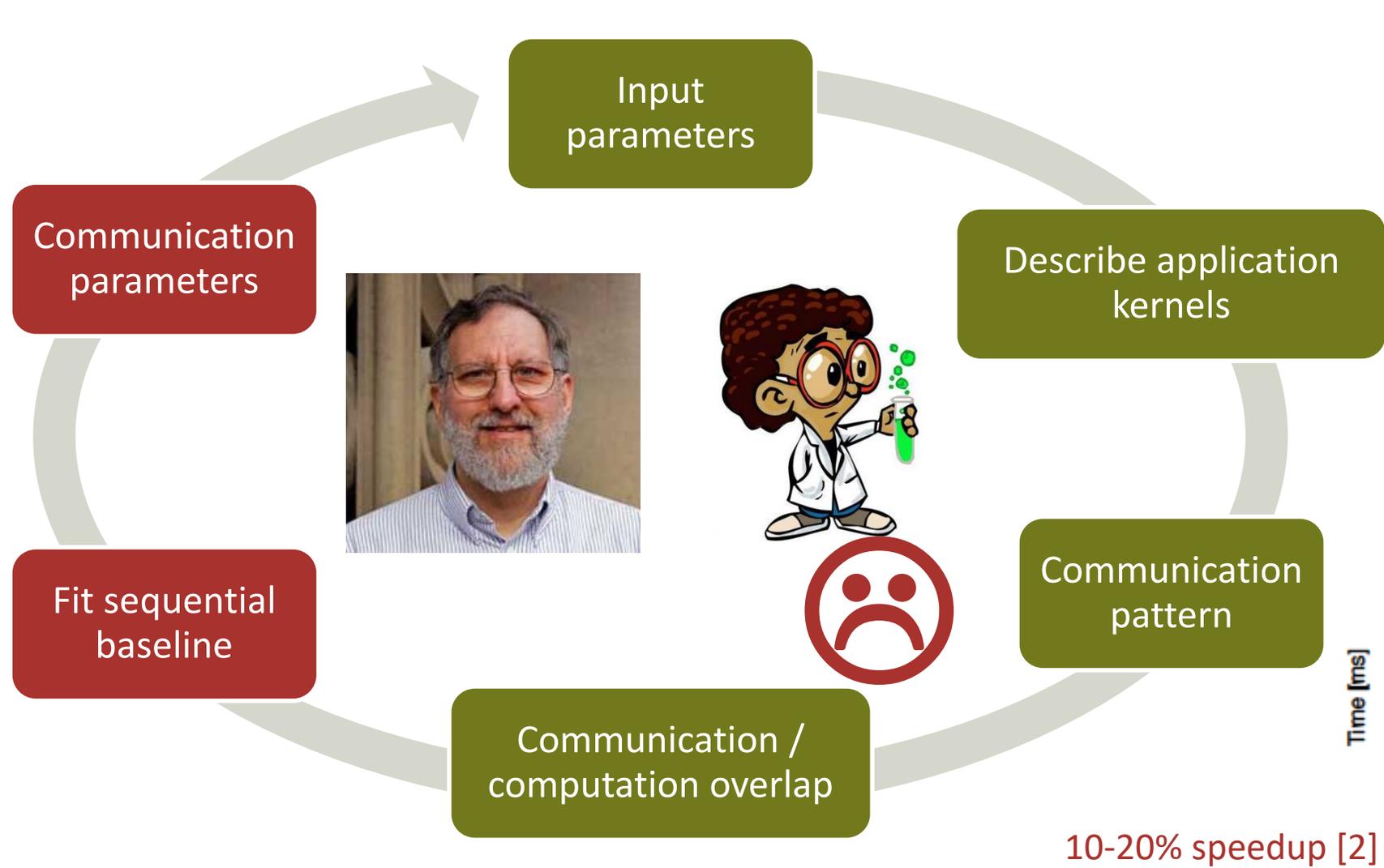
Performance

Modeling

Application
Expertise



Requirements modeling I: Six-step performance modeling



[1] TH, W. Gropp, M. Snir and W. Kramer: Performance Modeling for Systematic Performance Tuning, SC11

[2] TH and S. Gottlieb: Parallel Zero-Copy Algorithms for Fast Fourier Transform and Conjugate Gradient using MPI Datatypes, EuroMPI'10

Requirements modeling II: Automated best-fit modeling

- Manual kernel selection and hypothesis generation is time consuming (boring and tricky)
- Idea: Automatically select best (scalability) model from predefined search space

e.g., number of processes

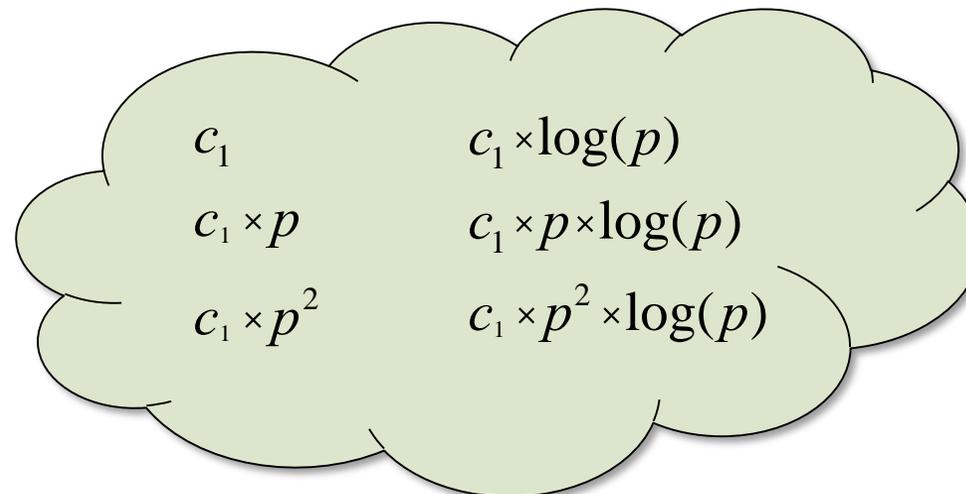
$$f(p) = \sum_{k=1}^n c_k \cdot p^{i_k} \cdot \log_2^{j_k}(p)$$

number of terms

(model) constant

$$\begin{aligned} n &\hat{=} \mathbb{N} \\ i_k &\hat{=} I \\ j_k &\hat{=} J \\ I, J &\hat{=} \mathbb{Q} \end{aligned}$$

$$\begin{aligned} n &= 1 \\ I &= \{0, 1, 2\} \\ J &= \{0, 1\} \end{aligned}$$



Requirements modeling II: Automated best-fit modeling

- Manual kernel selection and hypothesis generation is time consuming (and boring)
- Idea: Automatically select best model from predefined space

$$f(p) = \prod_{k=1}^n c_k \times p^{i_k} \times \log_2^{j_k}(p)$$

$$n = 2$$

$$I = \{0, 1, 2\}$$

$$J = \{0, 1\}$$

$$c_1 + c_2 \times p$$

$$c_1 + c_2 \times p^2$$

$$c_1 + c_2 \times \log(p)$$

$$c_1 + c_2 \times p \times \log(p)$$

$$c_1 + c_2 \times p^2 \times \log(p)$$

$$c_1 \cdot \log(p) + c_2 \cdot p$$

$$c_1 \cdot \log(p) + c_2 \cdot p \cdot \log(p)$$

$$c_1 \cdot \log(p) + c_2 \cdot p^2$$

$$c_1 \cdot \log(p) + c_2 \cdot p^2 \cdot \log(p)$$

$$c_1 \cdot p + c_2 \cdot p \cdot \log(p)$$

$$c_1 \cdot p + c_2 \cdot p^2$$

$$c_1 \cdot p + c_2 \cdot p^2 \cdot \log(p)$$

$$c_1 \cdot p \cdot \log(p) + c_2 \cdot p^2$$

$$c_1 \cdot p \cdot \log(p) + c_2 \cdot p^2 \cdot \log(p)$$

$$c_1 \cdot p^2 + c_2 \cdot p^2 \cdot \log(p)$$

$$\begin{aligned} n &\hat{=} \mathbb{N} \\ i_k &\hat{=} I \\ j_k &\hat{=} J \\ I, J &\hat{=} \mathbb{Q} \end{aligned}$$

Requirements modeling III: Source-code analysis [1]



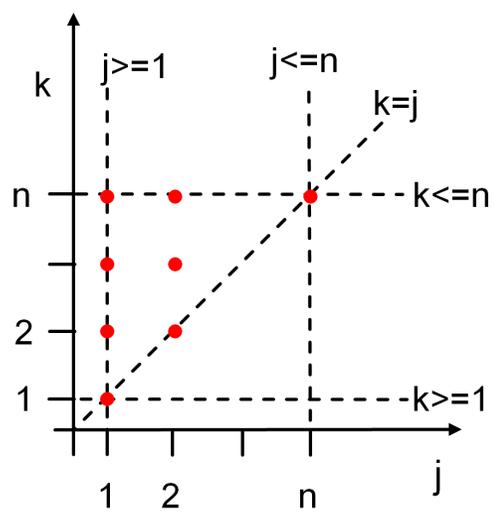
- **Extra-P selects model based on best fit to the data**
 - What if the data is not sufficient or too noisy?
- **Back to first principles**
 - The source code describes all possible executions
 - Describing all possibilities is too expensive, focus on counting loop iterations symbolically

```
for (j = 1; j <= n; j = j*2)
  for (k = j; k <= n; k = k++)
    OperationInBody(j,k);
```

Parallel program

```
do i = 1, procCols
  call mpi_irecv( buff, 2, dp_type, reduce_exch_proc(i),
    i, mpi_comm_world, request, ierr )
  call mpi_send( buff2, 2, dp_type, reduce_exch_proc(i),
    i, mpi_comm_world, ierr )
  call mpi_wait( request, status, ierr )
enddo

do i = id * n/p, ( id + 1 ) * n/p
  do j = 1, nSize
    call compute
```

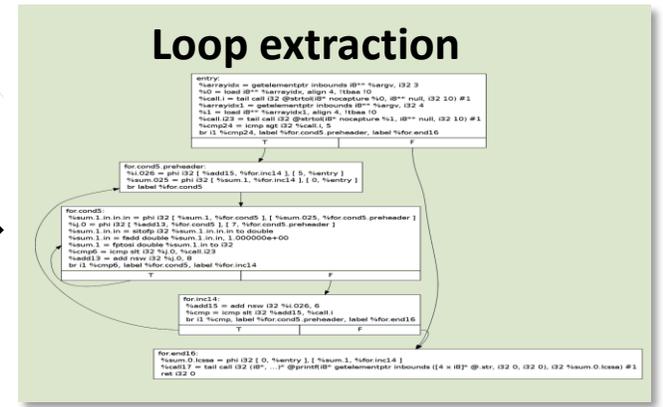


$$N = (n + 1) \log_2 n - n + 2$$

Requirements Models

$$W = N \Big|_{p=1}$$

$$D = N \Big|_{p \rightarrow \infty}$$



Number of iterations

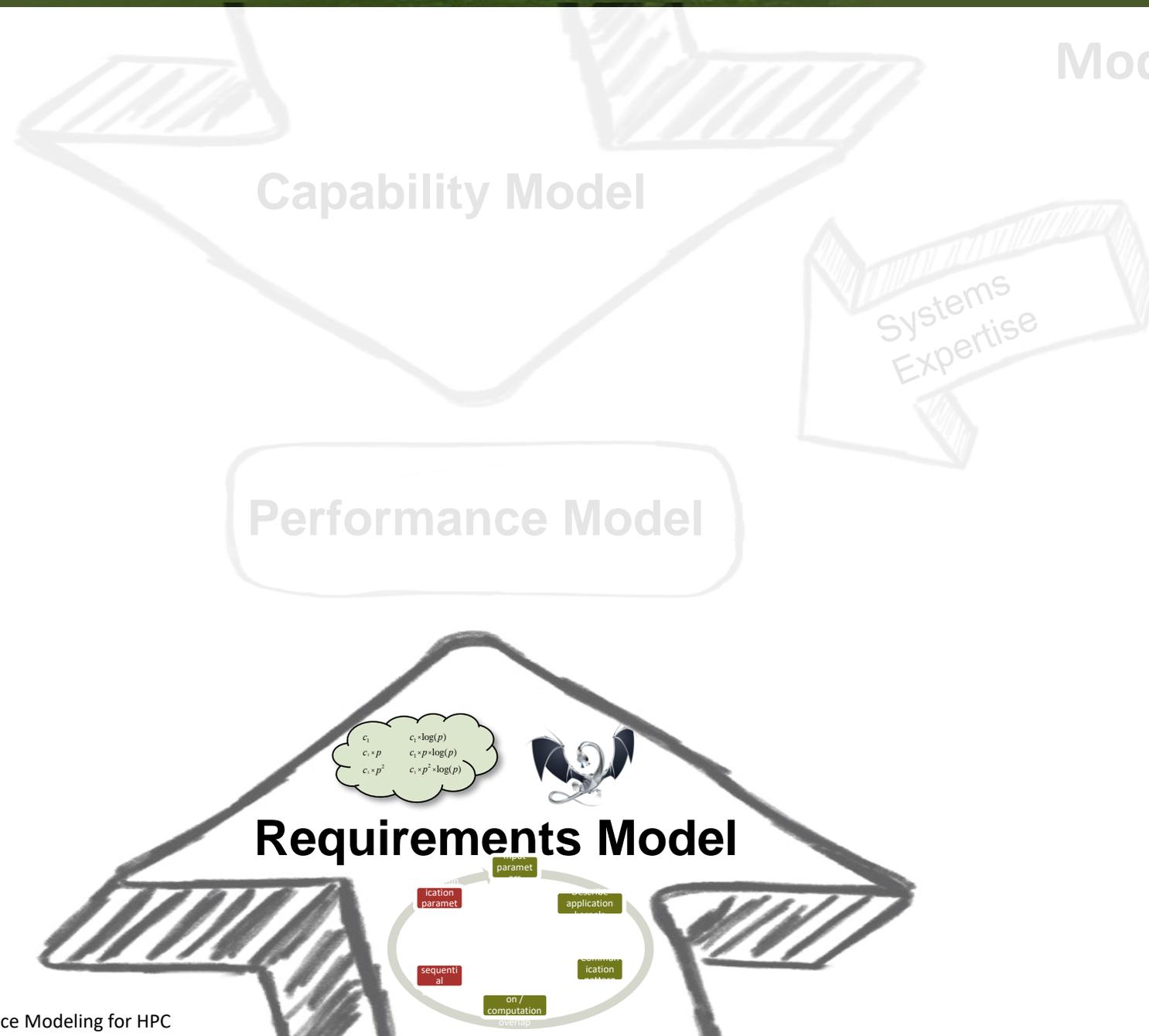
$$N = \sum_{i_1=0}^{n_1(x_0,1)} \sum_{i_2=0}^{n_2(x_0,2)} \dots \sum_{i_{r-1}=0}^{n_{r-1}(x_0,r-1)} n_r(x_0,r).$$



[1]: TH, G. Kwasniewski: Automatic Complexity Analysis of Explicitly Parallel Programs, ACM SPAA'14

Performance

Modeling



Performance

Modeling

Capability Model

Systems
Expertise

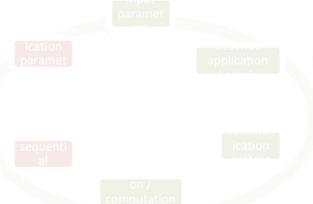
Performance Model

Application
Expertise

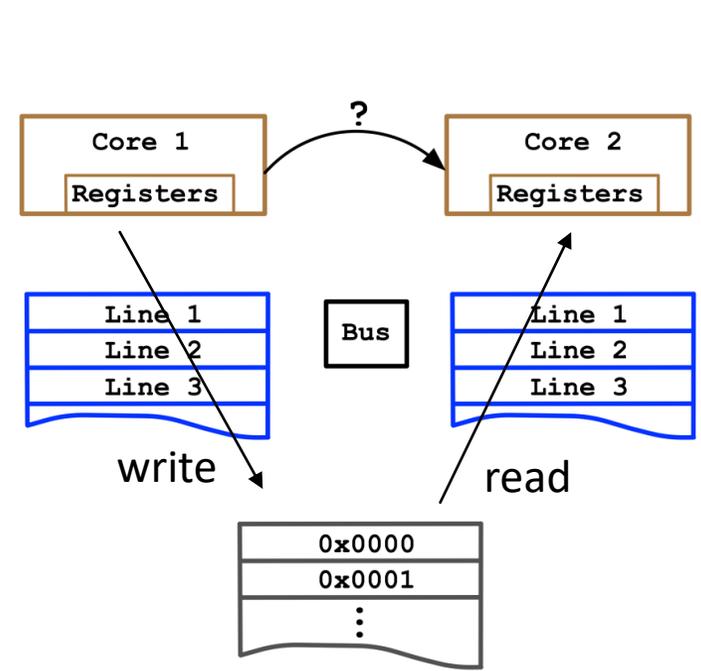
Requirements Model

$$\begin{matrix} c_1 \\ c_1 + p \\ c_1 + p^2 \end{matrix}$$

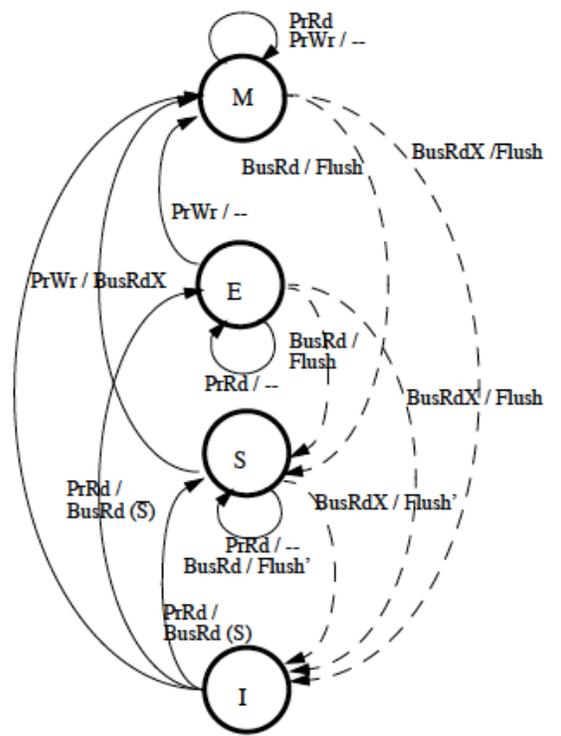
$$\begin{matrix} c_1 \cdot \log(p) \\ c_1 + p \cdot \log(p) \\ c_1 + p^2 \cdot \log(p) \end{matrix}$$



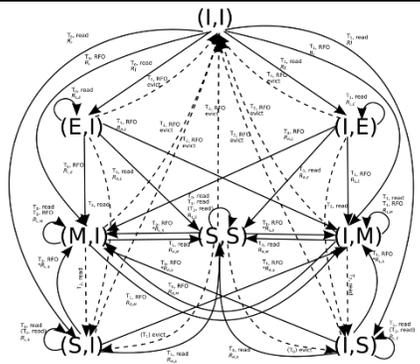
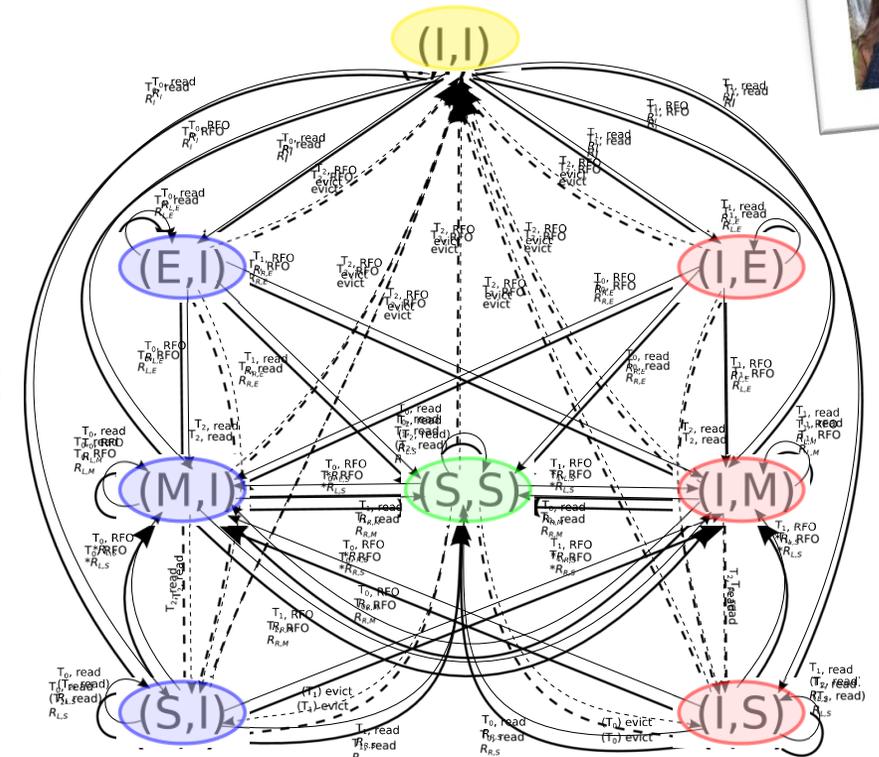
Capability models for cache-to-cache communication



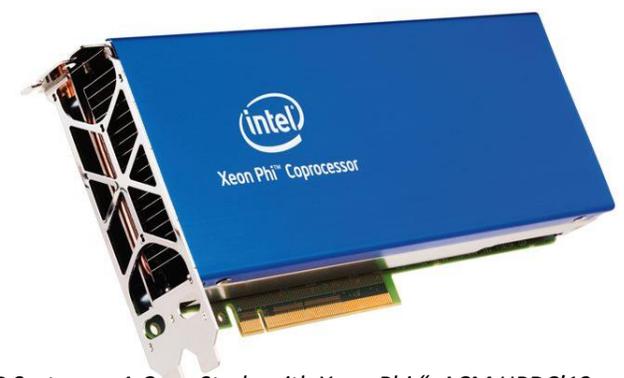
X



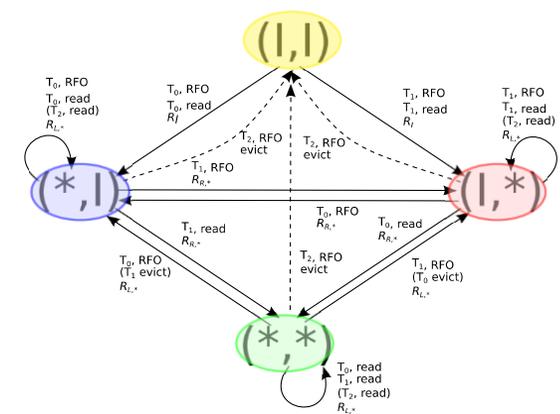
=



|



=



Invalid read $R_I = 278$ ns
Local read: $R_L = 8.6$ ns
Remote read $R_R = 235$ ns

Performance

Modeling



Capability Model



Systems Expertise

Performance Model

Application Expertise



Requirements Model



Part III: Understand

- **Use models to**

1. Proof optimality of real implementations
 - *Stop optimizing, step back to algorithm level*
2. Design optimal algorithms or systems in the model
 - *Can lead to non-intuitive designs*

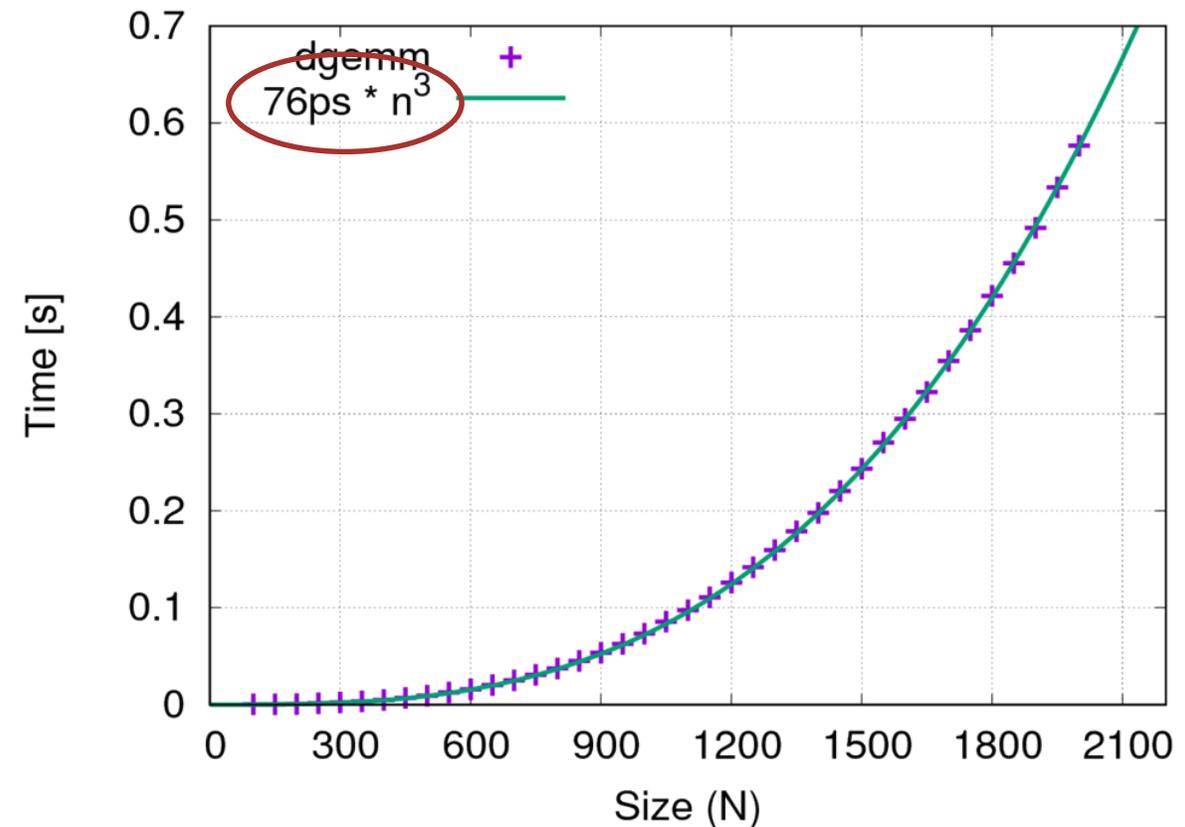
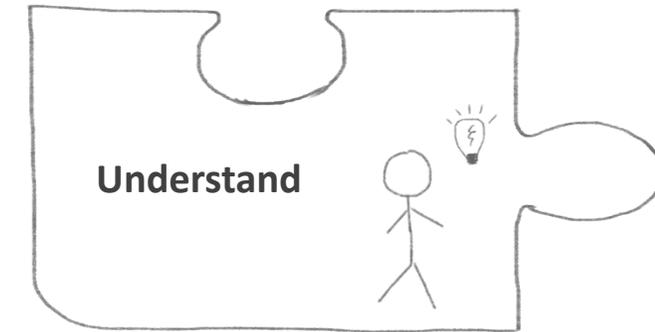
- **Proof optimality of matrix multiplication**

- Intuition: flop rate is the bottleneck
- $t(n) = 76\text{ps} * n^3$
- **Flop rate** $R = 2\text{flop} * n^3 / (76\text{ps} * n^3) = 27.78 \text{ Gflop/s}$
- **Flop peak:** $3.864 \text{ GHz} * 8 \text{ flops} = 30.912 \text{ Gflop/s}$
Achieved ~90% of peak (IBM Power 7 IH @3.864GHz)



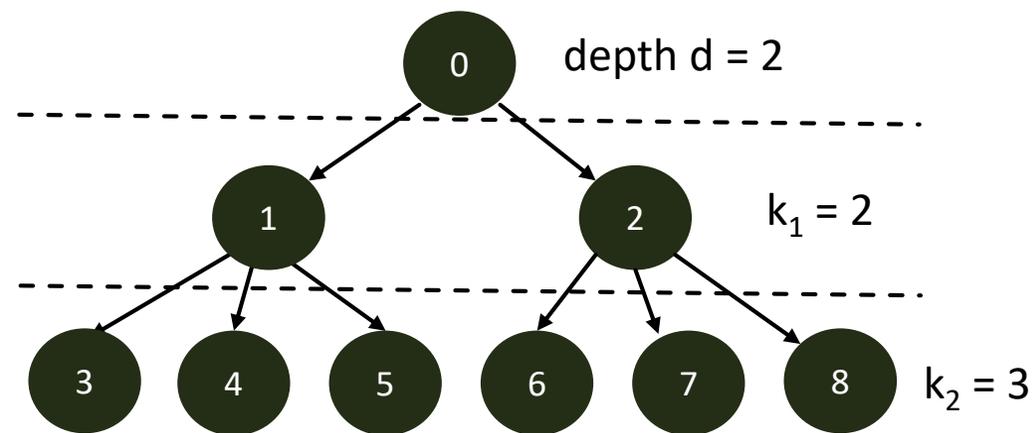
- **Gets more complex quickly**

- Imagine sparse matrix-vector



Design algorithms – bcast in cache-to-cache model

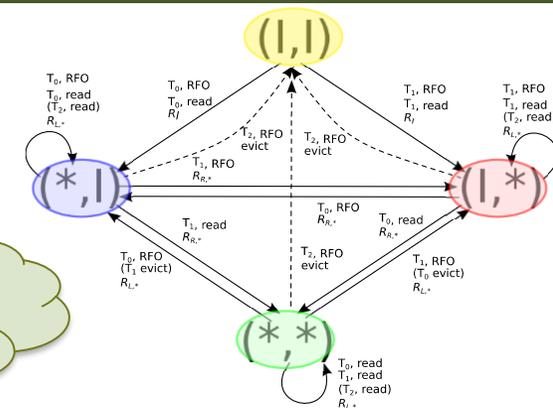
Multi-ary tree example



Tree depth

Level size

Tree cost



$$\mathcal{T}_{tree} = \sum_{i=1}^d \mathcal{T}_C(k_i) = \sum_{i=1}^d (c \cdot k_i + b)$$

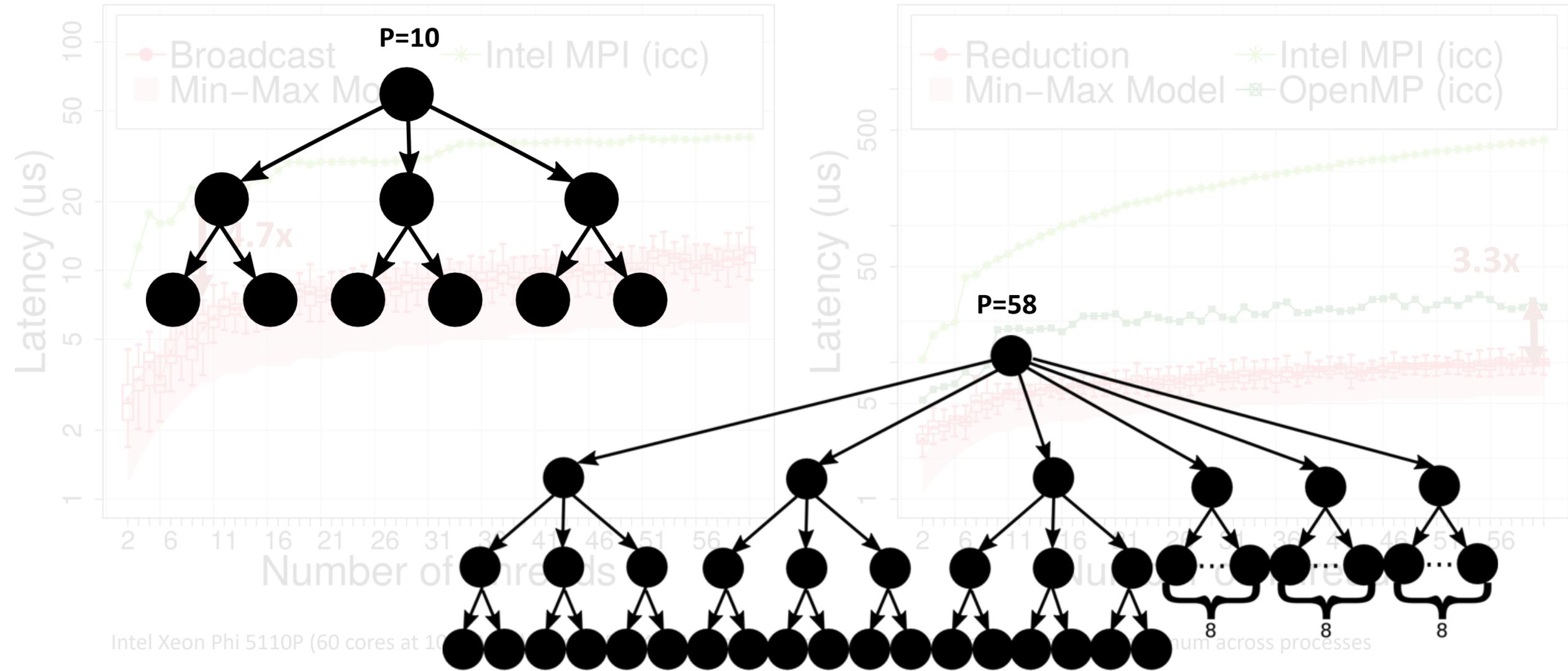
$$= \sum_{i=1}^d (R_R + R_L + c \cdot (k_i - 1))$$

$$\mathcal{T}_{sbcast} = \min_{d, k_i} \left(\mathcal{T}_{fw} + \sum_{i=1}^d (c \cdot k_i + b) + \sum_{i=1}^d \mathcal{T}_{nb}(k_i + 1) \right)$$

Reached threads

$$N \leq 1 + \sum_{i=1}^d \prod_{j=1}^i k_j, \quad \forall i < j, k_i \leq k_j$$

Measured results – small broadcast and reduction

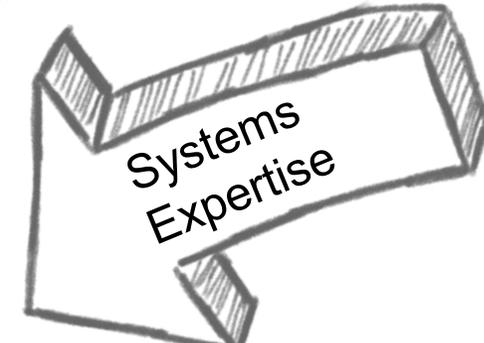
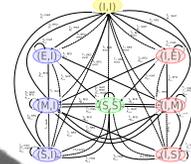


Performance

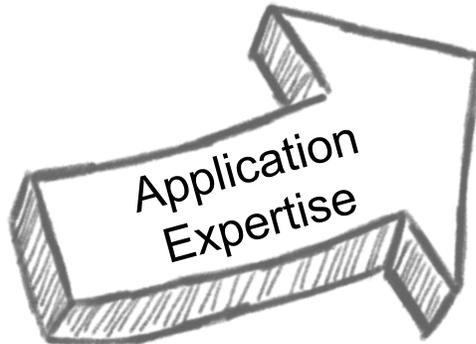
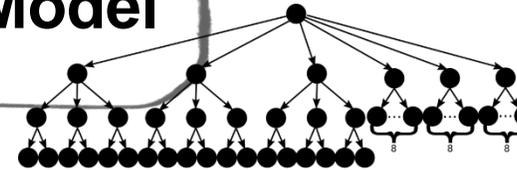
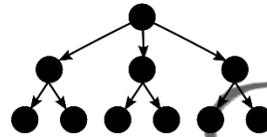
Modeling



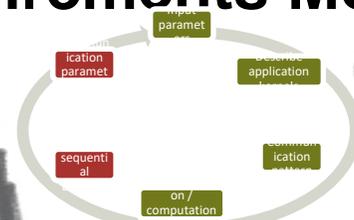
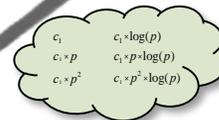
Capability Model



Performance Model



Requirements Model



How to continue from here?

DAPP Transformation System

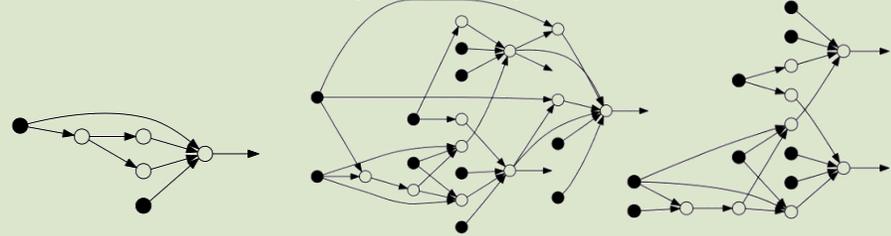
- User-supported, compile- and run-time

The diagram illustrates the transformation process: a grid of blue nodes labeled 'memlets' is added to a blue plus sign labeled 'operators', resulting in a grey box labeled 'DCIR'.



DAPP Parallel Language

- Data-centric, explicit requirements models



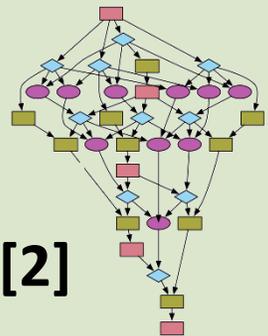
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Performance-transparent Platforms

HTM [1]

MPI RMA

foMPI-NA [2]



NISA [3]

portals

[1]: M. Besta, TH: Accelerating Irregular Computations with Hardware Transactional Memory and Active Messages, ACM HPDC'15
 [2]: R. Belli, TH: Notified Access: Extending Remote Memory Access Programming Models for Producer-Consumer Synchronization, IPDPS'15
 [3]: S. Di Girolamo, P. Jolivet, K. D. Underwood, TH: Exploiting Offload Enabled Network Interfaces, IEEE Micro'16